# On influencing population means. 

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Research letter:

## On influencing population means

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Findings on the existence or the lack of temporal trends in sperm concentration at the population level have been used to discuss the role of environmental factors (including endocrine disruptors) on male fertility.An assumption sometimes made ${ }^{1}$ is that temporal trends in biological parameters such as sperm concentration will parallel temporal trends in their risk factors. As we illustrate below, this assumption is a too simple view, outside the probably rare situation where one prevalent environmental factor has a major impact on the biological parameter considered.

Let us consider the case of an environmental factor $A$ to which no pregnant woman was exposed before year $t_{0}$ and to which $40 \%$ of pregnant women were exposed at a later time $t_{1}$; we assumed that in utero exposure to this factor causes an average decrease of $20 \%$ in sperm concentration in adulthood amongmale offspring. We also considered factors B and C, supposed to have a much stronger impact at the individual level (sperm concentration decrease by $85 \%$ ) and whose prevalence in pregnant women rose by $10 \%$ (factor $B$ ) or $60 \%$ (factor $C$ ) between $t_{0}$ and $t_{1}$. We estimated the population meanof sperm concentration in adulthoodamong men born at period $\mathrm{t}_{1}$, assuming that either factor existed alone;we assumed lack of selection bias, measurement or random error, and of temporal trends in the prevalence of any other factor. Using a simple simulation approach (detailed in eAppendix), we also estimated the change in mean concentration assuming that several factors simultaneously impacted on sperm concentration independently.

Compared to the unexposed cohort of men born at $t_{0}$, the impact of factor Ain men from $t_{1}$ birth cohort corresponded to a decrease in sperm concentration by 8\% (Table).Sperm concentration decrease was $9 \%$ for factor B, while it reached $51 \%$ in the case of the more prevalent factor $C$ (Table). Finally, when exposure to5 factors,each having the same individual impact as factor A (sperm concentrationchange by -20\%)simultaneously increased, sperm concentration decreased by $34 \%$ at the population level; 8 such factors were required to cause a population decrease by $49 \%$ (Table).

This study shows that a single factor with a moderate but realistic influence on sperm concentration at the individual level (-20\%, comparable to the reported effect of in utero
exposure to tobacco smoke ${ }^{2}$ ), whose prevalence has increased significantly over time ( $+40 \%$ ) would cause a relatively small decrease in sperm concentration at the population level ( $-8 \%$ ). This is because the population impact of a single factor will remain lower than its individual impact, except if prevalence increases from 0 to $100 \%$. Several independent factors with moderate effects in the same direction and with rather high increase in exposure prevalence might entail substantial changes in sperm concentration.

Although some chemicals with a strong impact at the individual level have been identified in occupational settings, ${ }^{3}$ the prevalence of exposure in the general population probably remained low. Therefore, to our knowledge, a factor with such high impact and prevalence than those hypothesized here for factor C has to date not been identified. If one looks for causes of a strong reduction in sperm concentration at the population level, a combination of several factors, each having a limited impact at the individual level and whose prevalences simultaneously strongly increased appears like a more realistic explanation. We assumed that factors acted independently, but of course synergy between factors could also exist ${ }^{4}$ (see eAppendix for an illustration).In another setting, a simulation study has quantified the impact of public health interventions on smoking prevalence. ${ }^{5}$

Data on temporal trends in outcome alone (without individual information on exposures), although very relevant in a public health perspective, ${ }^{6}$ correspond to a simple form of ecological studies and are, outside specific settings, ${ }^{7}$ generally very limited to draw strong conclusions regarding the influence of environmental factors. Indeed, several factors may have opposed impacts at the individual level or opposed temporal trends. For these reasons, conclusions on the impact of endocrine disruptors and other families of environmental factors on male fertility (or the lack thereof) should not be drawn from studies of temporal trends in male fertility parameters alone.

In order to characterize the impact of exposures during the developmental window, motherchild cohorts with a biomarker-based assessment of exposure during pregnancy and longterm follow-up constitute a more relevant tool. Such studies are currently very rare. ${ }^{2,8}$

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Table: Sperm concentration in adulthood among men born at periods $t_{0}$ and $t_{1}$, assuming the existence of an environmental factor whose prevalence increased between $t_{0}$ and $t_{1}$.

| Exposure factor and birth cohort | Exposure prevalence ${ }^{\text {a }}$ | Sperm concentration in male offspring in adulthood (millions/ml) |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  | Non-exposed | Exposed | Whole population (Change ${ }^{\text {b }}$ ) |
| Factor ${ }^{\text {c }}$ |  |  |  |  |
| Period $\mathrm{t}_{0}$ | 0\% | 100 | N.A. | $100 \times 1+80 \times 0=100$ |
| Period $\mathrm{t}_{1}$ | 40\% | 100 | 80 (-20\%) | $100 \times 0.6+80 \times 0.4=92(-8 \%)$ |
| Factor B ${ }^{\text {c }}$ |  |  |  |  |
| Period ${ }_{0}$ | 0\% | 100 | N.A. | $100 \times 1+15 \times 0=100$ |
| Period $\mathrm{t}_{1}$ | 10\% | 100 | 15 (-85\%) | $100 \times 0.9+15 \times 0.1=91.5$ (-8.5\%) |
| Factor C ${ }^{\text {c }}$ |  |  |  |  |
| Period $\mathrm{t}_{0}$ | 0\% | 100 | N.A. | $100 \times 1+15 \times 0=100$ |
| Period $\mathrm{t}_{1}$ | 60\% | 100 | 15 (-85\%) | $100 \times 0.4+15 \times 0.6=49$ (-51\%) |
|  |  |  |  |  |
| Period $\mathrm{t}_{0}$ | 0\% | 100 |  | 100 |
| Period $\mathrm{t}_{1}$ | 40\% | 100 | (-20\%/factor) | 67 (-34\%) |
| 8 independent factors ${ }^{\text {d }}$ |  |  |  |  |
| Period $\mathrm{t}_{0}$ | 0\% | 100 |  | 100 |
| Period $\mathrm{t}_{1}$ | 40\% | 100 | (-20\%/factor) | 52 (-49\%) |

8 In utero exposure to the hypothetical environmental factor is assumed to decrease spermconcentration in 9 adulthood by $20 \%$ (factor A) or $85 \%$ (factors B or C) on average at the individual level.
$10 \quad{ }^{\text {a }}$ Frequency of exposure to one single factor among women pregnant the corresponding year.
$11{ }^{\mathrm{b}}$ For a prevalence change by $\Delta \mathrm{p}$, a biological parameter with an initial value of $\mathrm{C}_{0}$ and an individual impact of x on 12 a multiplicative scale (that is, the parameter is multiplied by x in exposed subjects), the relative change in the mean of the biological parameter in population $t_{1}$ is obtained as $\left(\mathrm{C}_{1}-\mathrm{C}_{0}\right) / \mathrm{C}_{0}=\Delta \mathrm{p}(\mathrm{x}-1)$.In the case of factor A , this is $0.4(0.2-1)=-0.08$, a decrease by $8 \%$.
${ }^{\text {CT}}$ The population is assumed to be exposed to factor $A$ only or to factor $B$ only or to factor $C$ only.
${ }^{d}$ Several deleterious factors similar to factor A are assumed to act in men born at $t_{1}$, each having a prevalence of $40 \%$ and entailing a $20 \%$ decrease in sperm concentration in adulthood in subjects exposed in utero, with no effect measure modification between these factors (that is, the probability of exposure to each factor at $\mathrm{t}_{1}$ was $40 \%$ and independent from exposure to the other factors, and there was no modification of the effect measure of any factor on sperm concentration by any other factor)(see eAppendix for details).

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eAppendix:

## Content:

I. Overview
II. Detail of the steps and of the simulation study
III. Simulation results
IV. Stata code

## I. Overview

In order to simulate the impact at the population level of an increase in prevalence over time of several environmental factors on sperm concentration, we used a simulation approach. The main steps, described below, are:

1) Simulation of a cohort of $n=10,000$ men born at $t_{0}$, all considered unexposed to the environmental factors of interest;
2) Simulation of a cohort of $n=10,000$ men born at $t_{1}$, assuming that each one has a probability $p_{A 1}, p_{A 2} \ldots, p_{A q}$ to be exposed to independent factors $A_{1}, \ldots A_{q}$, respectively;
3) Comparison of the mean sperm concentration between both birth cohorts to provide an estimate of the impact of factors $\left(A_{1}, \ldots A_{q}\right)$ considered altogether.

These steps have been repeated considering between $\mathrm{q}=2$ and $\mathrm{q}=10$ factors.
Finally, we also provide an illustration of a situation in which synergy between exposure factors is assumed.

## II. Detail of the steps of the simulation study

## II.1) Step 1

We draw the sperm concentration $Y_{t 0}$ of a hypothetical population $P_{0}$ of $n=10,000$ men, assuming a normal distribution with mean $\mathrm{m}_{0}=100$ (expressed in million spermatozoa/ml) and standard deviation 50 , replacing negative values by 0 .

$$
\mathrm{Y}_{t_{0}}=\max [\mathcal{N}(100,50) ; 0]
$$

This corresponds to the sperm concentration in adulthood of men born at $\mathrm{t}_{0}$.

## II.2) Step 2

We draw the sperm concentration in adulthood $Y_{t 1}$ of another hypothetical population $P_{1}$ of $n=10,000$ men born at $t_{1}>t_{0}$; we first assume the same distribution as for population $P_{0}$. This starting value of sperm concentration for a subject $i$ of $P_{1}$ is called $Y_{t_{1}(\text { sart })}^{i}$.
We then assume that each man of $t_{1}$ birth cohort is exposed to the group of factors (A1, $\ldots$ $A_{q}$ ) with probability ( $p_{A 1}, \ldots p_{A q}$ ). Factors $A_{1}, \ldots A_{q}$ are binary (one is either exposed or non exposed, or, equivalently, has an exposure above or below a given threshold value). In our example, for convenience all probabilities are assumed to have the same value $\mathrm{p}=\mathrm{p}_{\mathrm{A} 1}=\ldots$ $=\mathrm{p}_{\mathrm{Aq}}$, arbitrarily set to 0.4.
Let $\left(\mathrm{I}_{\mathrm{A}_{1}}^{i}, \ldots \mathrm{I}_{\mathrm{A}_{q}}^{i}\right)$ be the indicator variables indicating if subject i is exposed to factors $\left(\mathrm{A}_{1}, \ldots\right.$
$A_{q}$ ), with $I_{A_{p}}^{i}=1$ if subject $i$ is exposed to factor $A_{p}$ and 0 otherwise. The probability of being exposed to a given factor is independent of whether or not subject $i$ is exposed to any other factor (that is, variables $\left(\mathrm{I}_{\mathrm{A}_{1}}^{i}, \ldots \mathrm{I}_{\mathrm{A}_{q}}^{i}\right)$ are independent one from another). In other words, if we consider, say, in utero exposure to tobacco smoke and alcohol consumption in adulthood, then we assume that the probability to drink alcohol is the same in men non-exposed and in men in utero exposed to tobacco smoke.
Each factor $A_{p}$ is expected to entail a decrease by $20 \%$ on average in sperm concentration. This is achieved by multiplying sperm concentration by a variable with an expected value of 0.8 for subjects exposed to $A_{p}$. In order to allow for some individual variability in the sensitivity to $A_{p}$, we assume the effect of $A_{p}$ to entail a decrease of 0.2 in average, with standard deviation 0.1.
That is, the effect of factor $A_{p}$ is assumed to follow a law:

$$
\text { EffectA }_{p} \sim \mathcal{N}(.8, .1)
$$

The sperm concentration of each subject of birth cohort $t_{1}$ is estimated by multiplying the starting value $\mathrm{Y}_{\mathrm{t1}}$ (start) of each man by the values of the variables Effect $A_{p}$ corresponding to the effects of each factor the subject is exposed to:

$$
Y_{t_{1}}=Y_{t_{1 \text { (sart) }}^{\prime}}(\text { EffectA })^{)^{\prime / 4}} \square\left(\text { Effect } A_{q}\right)^{1 / 4}
$$

## II.3) Step 3

Finally, we compare mean sperm concentration between populations $P_{1}$ and $P_{0}$. The simultaneous effect of exposures $A_{1}, \ldots A_{q}$ at the population level is estimated as the difference between the mean values of sperm concentration of populations $\mathrm{P}_{1}$ and $\mathrm{P}_{0}$.

Steps 1 to 3 are repeated for $q=2$ to $q=10$ exposure factors.

## III. Results

## III.1) General case with independent environmental factors

The distribution of the number of factors each subject of birth cohort $t_{1}$ is simultaneously exposed to is given in Figure S 1 for a maximum of 5 factors and a maximum of 10 factors. In the case when 10 factors exist, about $25 \%$ of subjects are exposed to 4 factors simultaneously, while $1.3 \%$ of subjects are exposed to 8 factors or more simultaneously.
The mean values of sperm concentration in population $P_{1}$ for $q=1$ to $q=10$ exposure factors is given Table S1. For 8 exposure factors, sperm concentration is on average decreased by $49 \%$ (mean, sperm concentration, 52 million $/ \mathrm{ml}$ ) compared to $\mathrm{t}_{0}$ birth cohort (mean sperm concentration, 100 million $/ \mathrm{ml}$ ). For 10 exposure factors, sperm concentration is on average decreased by 57\% (Figure S2).

Figure S1: Distribution of the number of factors one is simultaneously exposed to; A) Assuming that 5 different exposure factors exist; B) Assuming that 10 different exposure factors exist. Results are given for a specific simulation run and may slightly vary from run to run.
A) Up to 5 environmental factors
B) Up to 10 environmental factors


Table S1: Mean sperm concentration in adulthood in $t_{0}$ and $t_{1}$ birth cohorts, assuming that the birth cohort is exposed to 1 to 10 exposure factors with a negative individual impact on sperm concentration.

| Number of exposure factors | Mean sperm concentration (sd), $10 \% / \mathrm{ml}$ |  | Estimated impact of exposures |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | Birth cohort to | Birth cohort $\mathrm{t}_{1}$ | Change in mean sperm concentration | Sperm conce \% (relative ris | $1<10 \times 10^{6} / \mathrm{ml},$ $\text { pared to } t_{0} \text { ) }$ |
| 0 | 100 (49) | 100 (49) | 0 | 3.3 | (1) |
| 1 | 100 (49) | 92 (47) | -8\% | 3.9 | (1.2) |
| 2 | 100 (49) | 86 (45) | -15\% | 4.1 | (1.3) |
| 3 | 100 (49) | 79 (43) | -22\% | 4.3 | (1.3) |
| 4 | 100 (49) | 72 (41) | -28\% | 4.7 | (1.4) |
| 5 | 100 (49) | 67 (39) | -34\% | 5.1 | (1.5) |
| 6 | 100 (49) | 61 (37) | -39\% | 5.4 | (1.6) |
| 7 | 100 (49) | 56 (35) | -44\% | 5.9 | (1.8) |
| 8 | 100 (49) | 52 (33) | -49\% | 6.5 | (2.0) |
| 9 | 100 (49) | 48 (31) | -53\% | 7.3 | (2.2) |
| 10 | 100 (49) | 44 (30) | -57\% | 8.4 | (2.6) |

Table S1 additionally gives the proportion of men with a sperm concentration below 10 million $/ \mathrm{ml}$ according to the number of exposure factors considered, and the relative risk of having a sperm concentration below 10 million $/ \mathrm{ml}$ in $\mathrm{t}_{1}$ birth cohort, compared to the nonexposed birth cohort at $\mathrm{t}_{0}$. Eight exposure factors induced a doubling in the proportion of men with a sperm concentration below 10 million $/ \mathrm{ml}$, compared to the unexposed cohort.

Figure S2: Distribution of sperm concentration in $t_{0}$ and in $t_{1}$ birth cohorts, assuming the existence of 10 independent environmental factors.


## III.2) Further results in the presence of effect measure modification

The previous models assume that the probabilities of exposure to each factor are independent one from another and that the effect measure of a given factor on a multiplicative scale does not depend on the other factors one is exposed to.
Here, we relax the second hypothesis, starting from the situation with 5 exposure factors. Taken altogether and assuming independence, these factors entailed a decrease by $34 \%$ at the population level (Table S1). We now assume effect measure modification between factors $A_{4}$ and $A_{5}$, in that sperm concentration is further multiplied by 0.2 in men simultaneously exposed to factors $A_{4}$ and $A_{5}$. That is, the effect of $A_{4}$ (respectively, $A_{5}$ ) corresponds to a decrease by $20 \%$ in men not exposed to $A_{5}$ (respectively, $A_{4}$ ), and to a decrease by $87 \%$ (multiplication by $0.8 \times 0.8 \times 0.2=0.128$ ) for men simultaneously exposed to these two factors.
In this first case with effect measure modification, the proportion of men of $t_{1}$ birth cohort simultaneously exposed to both factors was $16 \%$; the simulation results predict a mean sperm concentration of 60 million $/ \mathrm{ml}$ in men from $\mathrm{t}_{1}$ birth cohort, a decrease by $40 \%$ compared to $t_{0}$ (this decrease was $34 \%$ without effect measure modification, Table S1).
If in addition we assume that in men simultaneously exposed to factors $\mathrm{A}_{1}, \mathrm{~A}_{2}$ and $\mathrm{A}_{3}$ sperm concentration is further decreased by $99 \%$ (or multiplied by $0.8^{3} \times 0.01=0.005$ compared to unexposed men), then the predicted mean sperm concentration of men from $t_{1}$ birth cohort is 58 million $/ \mathrm{ml}$, a decrease by $42 \%$ compared to $\mathrm{t}_{0}$. The proportion of men simultaneously exposed to all 3 factors was $5.9 \%$.

## IV. STATA code

```
***** Impact of an increased prevalence in environmental factors
```


*Last modified 23 Nov 2011.
version 11.2 /*This code: STATA v.11.2 format*/
clear
set seed 2011 /*Sets the root value of the random number generator*/
*Step I: We generate sperm concentration of men born at period to
set obs $10000 / *$ Generate 10,000 observations (without characteristics so far)*/
drawnorm conc, means(100) sds(50) /*Sperm concentration assumed to have normal distribution
with mean 100 , sd 50.*/
replace conc=0 if conc<0 /*Negative values of sperm concentration are meaningless and set to
0* /
sum conc, d
hist conc
gen period=0 /*0=birth cohort to (observations 1 to 10,000 of dataset) */
label var period "Year of birth"
*Step II: We generate sperm concentration of men born at t1.
*First, we assume that the overall distribution is identical to that of men born at to:
expand 2 /*We duplicate the dataset*/
replace period=1 if $n>10000 \quad / * 1=$ birth cohort t1 (Observations 10,001 to 20,000) */
drawnorm concb , means(100) sds (50)
replace concb=0 if concb<0
replace conc=concb if period==1
*We now successively assume that $1,2 \ldots 10$ environmental factors

* exist in at t1 and independently impact sperm concentration.
* Each factor implies a $20 \%$ decrease in sperm concentration (multiplication by . 8 on average)
* and the prevalence of exposure is $40 \%$ at t1 for each factor ( $0 \%$ at to).
**Option 1: No interaction; we assume that there is some variability in the effect of each
factor:
cap drop A* prob*
forvalues i=1(1)10 \{
gen $A{ }^{\prime}$ ' $^{\prime}=0$ if period==1
gen probA`i'=uniform() if period==1   replace A`i'=1 if probA`i'>0.6 \& probA`i'<1
$/ * A i$ variable is 1 for subjects exposed to factor Ai (40\% of population) */
drawnorm effectA`i', means(.8) sds(.1)   /*This variable corresponds to the effect of factor Ai */   replace conc=conc*effectA`i' if A`i'==1 \& period==1
/*Concentration if multiplied by effectAi for exposed subjects */
*Step III: Comparison between both periods:
dis "Number of environmental factors : " i'
ttest conc, by(period)
\}
gen nbfact=A1+A2+A3+A4+A5+A6+A7+A8+A9+A10
tab nbfact period, col


## **Option 2: Interaction; we assume that there is some variability in the effect of each

## factor:

```
replace conc=concb if period==1
cap drop A* prob*
forvalues i=1(1)5 {
    gen A`i'=0 if period==1
    gen probA`i'=uniform() if period==1
    replace A`i'=1 if probA`i'>0.6 & probA`i'<1
    /*Ai variable is 1 for subjects exposed to factor Ai (40% of population) */
    drawnorm effectA`i', means(.8) sds(.1)
    /*This variable effectAi corresponds to the effect of factor Ai */
    replace conc=conc*effectA`i' if A`i'==1 & period==1
    /*Concentration if multiplied by effectAi for exposed subjects */
        }
    sum effectA4 effectA5
*Additionally, we assume that sperm concentration is further reduced by 80% for subjects
simultaneously exposedto factors 4 and 5:
    replace conc=conc*.2 if A4==1 & A5==1 & period==1 /*Concentration if multiplied by
    effectAi for exposed subjects */
    dis "Number of environmental factors : 5 (with interaction between factors 4 and 5)"
    ttest conc, by(period)
*Additionally, we assume that sperm concentration is further reduced by 99% for subjects
simultaneously exposedto factors 1, 2 and 3:
    dis "Number of environmental factors : 5 (with interaction between factors (1, 2, 3)
    and(4, 5)"
    replace conc=conc*.01 if A1==1 & A2==1 & A3==1 & period==1
    ttest conc, by(period)
```

